

## Chemistry 120

### Gases.

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### Properties of Gases

- No definite Shape or Volume
  - Liquids: definite volume, indefinite shape
  - Solids: definite volume, definite shape
- Most easily measured Properties are Volume and Pressure
  - Both depend on temperature and amount
- Solubility in Solids and Liquids generally very poor
  - Except where there is a reaction

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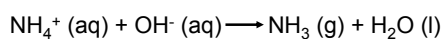
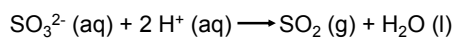
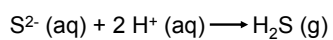
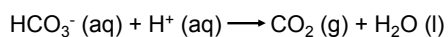
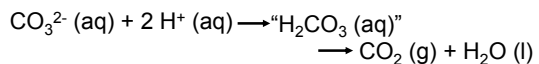
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### Gas-Forming Reactions

- Gases relatively Insoluble in Water
  - Reactions producing gases rapidly saturate solution, excess escapes



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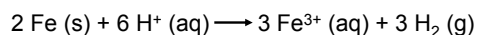
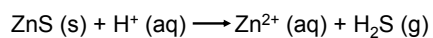
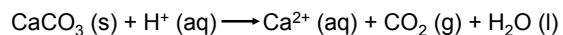
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## Gas-Forming Reactions

- These Reactions also work on Solids or Liquids
- Examples



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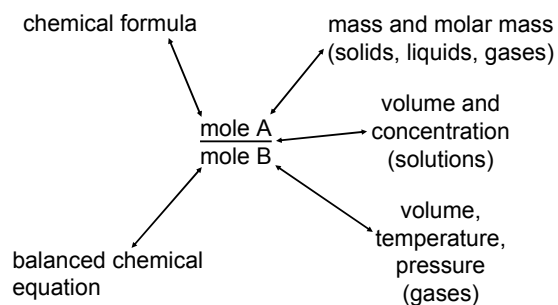
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## Stoichiometry Overview



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## Stoichiometry of Reactions involving Gases

- Need a Way to go from Laboratory-Scale to Moles
  - Concentration of limited use
- Focus on Physical Properties of Gases
  - Volume, pressure, temperature, amount
- *Ideal Gas Law*:  $p \cdot V = n \cdot R \cdot T$ 
  - Where  $R = 0.082057 \text{ L} \cdot \text{atm} \cdot \text{K}^{-1} \cdot \text{mol}^{-1}$
  - Initially this was an *empirical* equation

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## Ideal Gas Law

- Combination of other empirical Gas Laws into One applicable under Conditions of
  - High temperature (relative to substance's boiling point)
  - Low pressure
- Units
  - Temperature, K ( $= ^\circ\text{C} + 273.15$ )
  - Volume, L
  - Amount of material, mole

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## Ideal Gas Law

- Pressure Units
  - Torr (mm Hg)
  - Pascal (Pa =  $1 \text{ N/m}^2$ )
  - Atmosphere ( $1 \text{ atm} = 101.325 \text{ kPa} = 760 \text{ torr}$ )
  - Bar ( $1 \text{ bar} = 100000 \text{ Pa} = 100.000 \text{ kPa}$ )
- SI Unit is the Pascal, but Torr and Atm are more useful

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## Standard Temperature and Pressure

- For Gases STP is
  - Temperature =  $273.15 \text{ K}$
  - Pressure =  $1 \text{ atm}$
- At STP 1 Mole of Ideal Gas occupies  $22.414 \text{ L}$  (*standard molar volume*)
  - Derivation

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### Ideal Gas Calculations

- A 125.0 mL sample of a gas at 25.0 °C is heated to 100.0 °C at constant pressure, what is its new volume?

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### Ideal Gas Calculations

- If 0.1439 g of a solid substance sublimes to give 73.29 mL of the substance in the gaseous state at STP, what is its molar mass?

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### Gas Laws and Stoichiometry

- Zinc metal reacts with hydrochloric acid to give H<sub>2</sub> gas. If 10.0 g Zn are allowed to react 100.0 mL of 0.500 M HCl, how many mL of H<sub>2</sub> will be generated at 25.0 °C and 750.0 mm Hg ?

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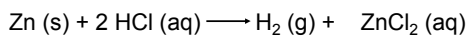
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## Gas Laws and Stoichiometry



volume	-----	100.0	?	-----
conc.	-----	0.500	-----	-----
grams	10.0	-----	-----	-----
molar mass	65.39	-----	-----	-----
moles	-----	-----	-----	-----

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## Gas Mixtures

- *Dalton's Law of Partial Pressure*
  - Treat each gas as being alone in vessel
  - Total pressure is sum of the pressures of each individual gas (*partial pressure*)

$$p_{total} = p_1 + p_2 + p_3 + \dots$$

- Assumes gases do not interact
- Gas is insoluble in any liquids present
- Also written in terms of *Mole Fraction* ( $\chi_i$ )

$$\chi_i = \frac{n_i}{n_{total}} \quad p_i = \chi_i p_{total}$$

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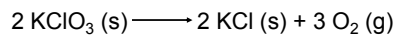
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## Partial Pressure Problem

- A 1.56 g sample containing an unknown amount of  $\text{KClO}_3$  is heated to decompose the  $\text{KClO}_3$  to give  $\text{O}_2$ . When the reaction is over 327.0 ml  $\text{O}_2$  is collected over water at 19.0 °C. The total pressure is 735.0 Torr, what is weight percent of  $\text{KClO}_3$  in the sample? The vapor pressure of water is 16.5 Torr at 19.0 °C.



Adapted from Kotz and Treichel problem 12-59.

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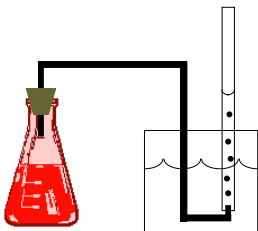
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## Experimental Set-Up

- O<sub>2</sub> is collected by bubbling it through Water into a water-filled Gas Buret



Not only will there be O<sub>2</sub> gas present, but there will also be some water vapor!

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## Kinetic-Molecular Theory

- Tenets of Kinetic-Molecular Theory
  - Particles are in constant, random, rapid motion
  - Average kinetic energy is proportional to temperature (in Kelvin)
  - Kinetic energy depends on particle mass
- Predicts Average Speed of Particles
  - Increases as temperature increases
  - Decreases as molar mass increases

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## Application of Kinetic-Molecular Theory to Gases

- Ideal Gas Law can be derived
  - Assume particle collisions are elastic
  - Separation of gas particles is much larger than their size
- Fraction of Particles,  $f(u)$  with a given Speed,  $u$  is

$$f(u) = 4\pi \left( \frac{M}{2\pi RT} \right)^{3/2} u^2 e^{-Mu^2/2RT}$$

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## Kinetic-Molecular Theory

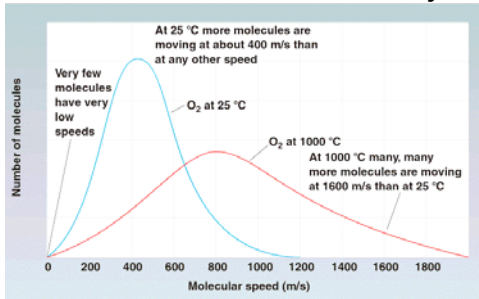


Figure 12.18 in Kotz and Treichel

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## Kinetic-Molecular Theory

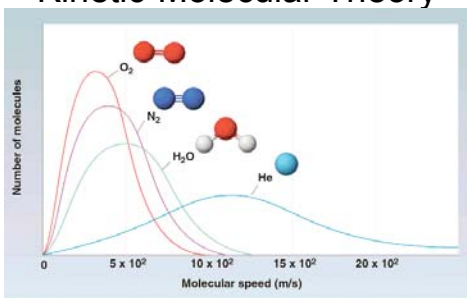


Figure 12.19 in Kotz and Treichel

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## Diffusion and Effusion

- *Diffusion*: Mixing of two or more Gases due to random Motions of their Particles
- *Effusion*: Movement of Gas through a small Hole into an Area of Low Pressure
  - Graham's Law of Effusion
$$\frac{\text{Rate of effusion of gas 1}}{\text{Rate of effusion of gas 2}} = \sqrt{\frac{M_2}{M_1}}$$
  - Diffusion of two gases through air does not follow this law

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## Non-Ideal Gases

- Real Gases
  - Interact with each other inelastically
  - Have a finite size
- Many Attempts have been made to correctly model these Effects
  - Van der Waals equation

$$\left[ p + a \left( \frac{n}{V} \right)^2 \right] (V - bn) = nRT$$

Corrects for interactions

Corrects for size

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